## Math 22 Syllabus - Spring 2014

## Instructor: Dan Crytser

## MWF 12:30-1:35, T (X-hr) 1:00-1:50 in Kemeny 008

Week 1		Week 6	
M 3/24	1.1: linear systems	M 4/28	HW 5 due; 4.6: rank
T 3/25	(X-hr) 1.2: row reduction	T 4/29	(X-hr) 4.6: rank; 2.9: dimension
W 3/26	1.2: echelon forms		and rank
F 3/28	1.3: vector equations	W 4/30	4.7: change of basis
Week 2	1	F 5/2	5.1: eigenvectors
$\frac{1}{M^{3/31}}$	HW 1 due: $1 \downarrow 1 5$ : $Ar = h$ and	Week 7	
	$\begin{array}{c} 1100  110000, 1140, 1140, 1150, 1140  -0 \text{ and} \\ \text{solution sets} \end{array}$	M 5/5	$HW \ 6 \ due; 5.2$ : the characteristic
T 4/1	(X hr) 1.6: notwork flow	-	equation
$\frac{14/1}{W4/9}$	(X-III) 1.0: Iletwork now	T 5/6	(X-hr) 5.3: diagonalization
W 4/2	1.7: Inear independence	W 5/7	review for midterm;
F' 4/4	1.7: linear independence; 1.8: linear		midterm II: 6-8 PM
	transformations	F 5/9	5.4: eigenvectors and linear
Week 3		_	transformations
M 4/7	HW 2 due; 1.9: the matrix of a	Week 8	-
	linear transformation	$\ $ M 5/12	HW 7 due; 4.9: applications to
T 4/8	(X-hr) 1.10: application to	]	Markov chains and PageRank
	difference equations	T 5/13	(X-hr) 5.6: application to discrete
W 4/9	2.1: matrix algebra		dynamical systems
F 4/11	2.2: inverse of a matrix;	W 5/14	5.8: iterative estimates of
	2.3: characterization of invertible		eigenvalues
	matrices	F 5/16	6.1: inner product spaces
Week 4		Week 9	
M 4/14	HW 3 due:	M 5/19	$HW \ 8 \ due; \ 6.2: \ orthogonal \ sets,$
	2.5: matrix factorizations		orthogonal projections
$T_{4/15}$	(X hr) 3.1.3.2.3.3: determinants	- T 5/20	(X-hr) 6.4: Gram-Schmidt
$\frac{14}{10}$ W 4/16	(X-III) 5.1, 5.2, 5.5. determinants	W 5/21	6.5: least squares; 6.6: applications
W 4/10	DM		to linear models
$E_{4/10}$		- F 5/23	Final review
г 4/18	4.1: vector spaces, subspaces; 2.8:	Week 10	
	subspaces of K"	M 5/26	HW 9 due
Week 5	7	S 5/31	Final exam
M 4/21	HW 4 due; 4.2: null spaces		
T 4/22	(X-hr) 4.3: linear independence		
W 4/23	4.4: coordinate systems		
F 4/25	4.5: dimension	]	