## Pattern avoidance in $\Pi_{n} \prec C_{k}$

Pattern avoidance in the symmetric group $S_{n}$ has provided a number of useful connections between seemingly unrelated problems from stack-sorting to Schubert varieties. Recent work $[2,4,5]$ has generalized these results to $S_{n} 2 C_{k}$, the objects of which can be viewed as "colored permutations".

Another body of research that has grown from the study of pattern avoidance in permutations is pattern avoidance in $\Pi_{n}$, the set of set partitions of $[n]$. Pattern avoidance in set partitions is a generalization of the well studied notion of noncrossing partitions [3].

Motivated by recent results in pattern avoidance in $S_{n} \imath C_{k}$ we provide a catalog of initial results for pattern avoidance in colored partitions, $\Pi_{n} 々 C_{k}$. We note that colored set partitions are not a completely new concept. Signed (2-colored) set partitions appear in the work of Björner and Wachs involving the homology of partition lattices [1]. However, we seek to study these objects in a new enumerative context.
This is joint work with Lara Pudwell.

## References

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